## Lecture 18 (2-1), Feb 27, 2023

## **Overview of Thermal Physics**

- Systems of particles typically exhibit *universal* behaviour: behaviour that applies to all systems, regardless of composition
- e.g. speed of particles in any gas that isn't too cold or too dense follows a Maxwell-Boltzmann speed distribution  $n(v) \propto v e^{-kv^2}$  in 2D,  $n(v) \propto v^2 e^{-kv^2}$  in 3D
- Statistical mechanics forms an "explanation" of thermodynamics, providing a bridge between the microscopic and the macroscopic, through the main postulate of SM
- What do we need to describe a system of N particles microscopically?
  - This gives the most detailed description
  - In classical mechanics we would have  $\vec{r}_i(t), \dot{\vec{r}}_i(t)$  for  $i = 1, \cdots, N$
  - For large N (on the order of  $10^{23}$ ) this would be hopeless to compute and useless to interpret
- To describe them macroscopically instead we use:
  - 1. The number of particles N
  - 2. The volume  ${\cal V}$
  - 3. The pressure p
  - 4. The temperature T
- Statistical mechanics connects these two
- Note both thermodynamics and statistically mechanics deal with systems in thermodynamic equilibrium:
  - 1. The system is uniform throughout its volume (density, pressure, temperature)
    - 2. These properties do not change in time
    - 3. No macroscopic fluxes on average the net flow through any surface is zero
- Ideal classical gases have many particles, can be treated as point like objects classically and obeys the ideal gas law pV = NkT where k is the Boltzmann constant  $k = 1.38 \times 10^{-23} \text{ J/K}$