## Lecture 33, Dec 1, 2022

## **Thermal Radiation**

- Consider an enclosure at temperature  $T_{surr}$  filled with vacuum, containing an object of temperature  $T_s$  $-T_s = T_{surr}$  at equilibrium
- Thermal radiation is energy emitted by matter as a result of its finite temperature
  - Radiation has wave patterns (EM waves)
  - Thermal radiation typically has wavelengths of 0.1 to 100µm
    - \* UV is 0.1 to  $0.4\mu m$
    - \* Visible radiation is 0.4 to  $0.7\mu m$
    - \* IR radiation is 0.7 to 100µm
- Radiation is released with energy level changes from an excited state
  - When radiation is absorbed we go from lower to higher energy states, similar to spectroscopy
  - For infrared radiation this corresponds to vibrational energy levels
  - Visible radiation corresponds to electronic energy levels (typically outer electrons)
- Radiation is a volumetric phenomenon, but most solids are "opaque", so emissions from within the object will just be immediately reabsorbed
  - This is why we usually consider it a surface property
- A blackbody is a perfect emitter and absorber of radiation
  - At a given temperature, no surface can emit more energy than a blackbody
  - It also emits radiation equally in all directions ("diffuse" emission)
- Stefan-Boltzmann Law: The radiation energy emitted by a blackbody per unit time per unit area is given by  $E_b = \sigma T^4$  for the Stefan-Boltzmann constant  $\sigma = 5.67 \times 10^{-8} \,\mathrm{W/m^2 \, K^4}$ 
  - $-E_b$  is the blackbody emissive power
- A blackbody is a theoretical object, but some things come close:
  - Black paint
  - Isothermal cavity (e.g. a box with a very small hole, the hole is a blackbody)
- The spectral distribution of blackbody radiation has the form  $\frac{c_1}{\lambda^5 \exp\left(\frac{c_2}{\lambda T}\right) 1}$
- In a real body, the radiation emission and absorption are dependent on wavelength and direction
  - e.g. CO<sub>2</sub>'s absorption spectrum absorbs more in the region of sunlight reflected by Earth's surface, which causes the greenhouse effect
    - Real surfaces can emit more in certain directions
    - Real surfaces also never have the same overall emission power as a blackbody
- We can define the emissivity:  $\varepsilon(T) = \frac{E(T)}{E_b(T)}$ 
  - This is integrated over all directions and wavelengths
  - To simplify calculations, we assume  $\varepsilon$  is independent of  $\lambda$  (gray surface) and  $\theta$  (diffuse surface)
  - This gives us the formula we already know:  $E(T) \approx \varepsilon \sigma T^4$
- Consider a surface with some incident radiation G; some will be reflected,  $G_{ref}$ ; some will be absorbed.
  - Consider a summer and  $G_{abs}$ ; some will be transmitted,  $G_{tran}$  Define the absorptivity  $\alpha = \frac{G_{abs}}{G}$ , the reflectivity  $\rho = \frac{G_{ref}}{g}$ , and the transmittivity  $\tau = \frac{G_{tran}}{G}$ 
    - For a general material these have to sum to 1; for an opaque material  $\tau = 0$ , so  $\alpha + \rho = 1$
    - A blackbody has  $\rho = 0$  and so  $\alpha = 1$
    - We assume a gray body, where  $\alpha, \rho, \tau$  are independent of  $\lambda$ , and diffuse, where  $\alpha, \rho, \tau$  are independent of  $\theta$